

# Maths

## End of Year Assessments

### Revision Notes

#### Important Websites:

- Mathswatch: <https://vle.mathswatch.co.uk/vle/>

You have tasks to complete and videos will help you answer the questions.

- Corbett Maths: <https://corbettmaths.com/>

Lots of questions to answer and video clips to help you learn and revise.

- BBC Bitesize:

<https://www.bbc.co.uk/bitesize/subjects/z38pycw>

Year 8 Delta:

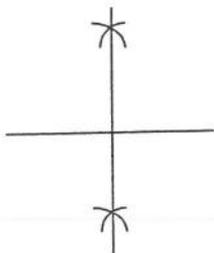
|    |   |
|----|---|
| 1  | You can identify multiples.   |
| 2  | You can use and apply the laws of indices.  |
| 3  | You can identify a percentage multiplier.   |
| 4  | You can add fractions and decimals.   |
| 5  | You can simplify algebraic expressions using BIDMAS   |
| 6  | You can order numbers in standard form.   |
| 7  | You can calculate a percentage increase.  |
| 8  | You can bisect an angle.  |
| 9  | You can simplify algebraic expressions involving brackets.  |
| 10 | You can express a number as the product of prime factors.<br>You can find the highest common factor and lowest common multiple. |
| 11 | You can solve linear equations with unknowns on each side.  |
| 12 | You can convert between standard form and ordinary numbers.   |
| 13 | You can use and apply Pythagoras' Theorem.  |
| 14 | You can solve problems involving the area of a circle.  |
| 15 | You can find the volume of a cylinder.  |
| 16 | You can interpret real-life graphs.   |
| 17 | You can identify a vector translation.  |
| 18 | You can convert a recurring decimal into a fraction.  |
| 19 | You can solve percentage problems.  |

### 8/1 Change recurring decimal to fraction

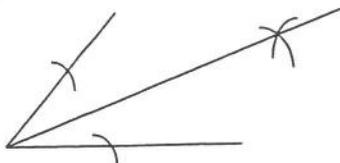
$$\begin{aligned}\text{If } x &= 0.4444444 \\ 10x &= 4.4444444 \\ 9x &= 4 \\ x &= \frac{4}{9}\end{aligned}$$

$$\begin{aligned}\text{If } x &= 0.54545 \\ 100x &= 54.545454 \\ 99x &= 54 \\ x &= \frac{54}{99}\end{aligned}$$

- Equal distance from two points  
perpendicular bisector



- Equal distance from two intersecting lines -  
angle bisector



### 8/3 Standard Form

$$\sim a \times 10^n$$

a is between 1 & 10; n is an integer

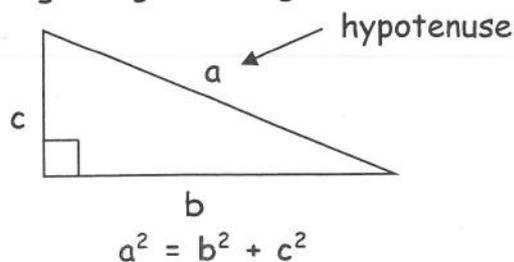
~ When mult/div in standard form,  
work out number part separate from the  
power of 10 part

$$\text{e.g. } 3 \times 10^5 \times 4 \times 10^3 = 12 \times 10^8 = 1.2 \times 10^9$$

~ With a calculator use **EXP** or  **$\times 10^x$**

### 7/12 Pythagoras Theorem

For this right angled triangle:



- If finding the hypotenuse  
ADD the squares of the other 2 sides  
Then square root
- If finding a shorter side  
SUBT the squares of the other 2 sides  
Then square root

### 6/2 Increase/Decrease by a percentage

- To increase £12 by 5%  
 $= 1.05 \times \text{£}12$  (100% + 5% = 105%)  
OR

$$= \text{£}12 + 5\% \text{ of } \text{£}12$$

- To decrease £50 by 15%  
 $= 0.85 \times \text{£}50$  (100% - 15% = 85%)  
OR

$$= \text{£}50 - 15\% \text{ of } \text{£}50$$

# Maths – Year 8 Delta – Unit 1

## Index Laws

$$a^m \times a^n = a^{m+n}$$

$$\frac{a^m}{a^n} = a^{m-n}$$

$$(a^m)^n = a^{m \times n}$$

## Examples

$$7^7 \times 7^8 = 7^7 + 8 = 7^{15}$$

$$\frac{9^5}{9^3} = 9^5 - 3 = 9^2$$

$$(15^2)^3 = 15^2 \times 3 = 15^6$$

## prime factors

To find the prime factors of a composite number, first divide the number by 2 and then keep working down using 2 or the next lowest prime number that will divide any remaining composite factors exactly, until there are no composite factors left.

● prime factors ● composite factors

$$20 \begin{array}{l} \swarrow \searrow \\ 2 \times 10 \\ \swarrow \searrow \\ 2 \times 5 \\ \hline 20 = 2 \times 2 \times 5 \end{array}$$

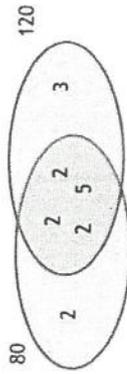
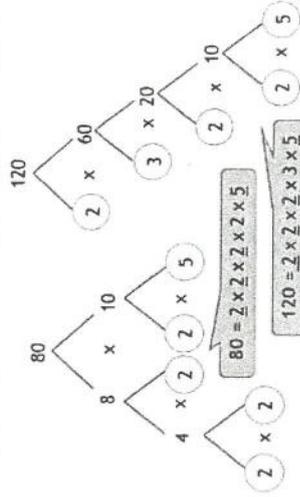
$$24 \begin{array}{l} \swarrow \searrow \\ 2 \times 12 \\ \swarrow \searrow \\ 2 \times 6 \\ \swarrow \searrow \\ 2 \times 3 \\ \hline 24 = 2 \times 2 \times 2 \times 3 \end{array}$$

$$48 \begin{array}{l} \swarrow \searrow \\ 2 \times 24 \\ \swarrow \searrow \\ 2 \times 12 \\ \swarrow \searrow \\ 2 \times 6 \\ \swarrow \searrow \\ 2 \times 3 \\ \hline 48 = 2 \times 2 \times 2 \times 2 \times 3 \end{array}$$

$$75 \begin{array}{l} \swarrow \searrow \\ 3 \times 25 \\ \swarrow \searrow \\ 5 \times 5 \\ \hline 75 = 3 \times 5 \times 5 \end{array}$$

## Finding LCM and HCF using product of primes

- Write each number as a product of primes
- Write each product on a Venn Diagram
- HCF is the product of the intersection
- LCM is the product of all the numbers



HCF =  $2 \times 2 \times 5 = 40$  (product of the intersection)  
LCM =  $2 \times 120 = 240$  (product of all the numbers)

## Convert to Standard Form

Move the decimal point until there is one digit to the left of the decimal point.

Exponent goes up ← Decimal point moves left

Decimal point moves right → Exponent goes down

Examples:

$$156000. = 1.56 \times 10^5$$

Move decimal point 5 places left, exponent goes up by 5

$$0.0000053 = 5.3 \times 10^{-6}$$

Move decimal point 6 places right, exponent goes down by 6

## Estimation

- 1) Round each number to 1sf
- 2) Complete the calculation

Example: Estimate  $562 \times 233$

$$562 \rightarrow 600$$

$$233 \rightarrow 200$$

$$600 \times 200 = 120,000$$

# Maths – Year 8 Delta – Unit 2

## Index Laws

$$a^m \times a^n = a^{m+n}$$

$$\frac{a^m}{a^n} = a^{m-n}$$

$$(a^m)^n = a^m \times n$$

## Examples

$$7^7 \times 7^8 = 7^7 + 8 = 7^{15}$$

$$\frac{9^5}{9^3} = 9^5 - 3 = 9^2$$

$$(15^2)^3 = 15^2 \times 3 = 15^6$$

## Expand & Simplify.

$$5(x+3) + 6(x-4)$$

$$5x + 15 + 6x - 24$$

$$11x - 9$$

## Factorise

$$7x + 14$$

$$7(x + 2)$$

$$45 - 27k$$

$$9(5 - 3k)$$

$$12ab + 7b$$

$$b(12a + 7)$$

## Answer

## Solving Equations

Variable Terms

Constant Terms

$$5x - 2 = 3x + 4$$

$$-3x \quad -3x$$

$$2x - 2 = 4$$

$$+2 \quad +2$$

$$2x = 6$$

$$x = 3$$

## Forming Expressions

$$a + 14$$

Add 14 to a

$$b - 20$$

Subtract 20 from b

$$4c$$

Multiply c by 4

$$d + 12$$

12 more than d

$$3e - 5$$

Multiply e by 3 and subtract 5

$$2(f + 12)$$

Add 12 to f and then multiply by 2

An expression is a group of numbers, letters and operation symbols.

Sarah is x years old.

Thomas is 3 years older than Sarah.

David is twice as old as Sarah.

The total of their ages is 51.

(a) Write an expression for Thomas's age in terms of x.

$$x + 3$$

(b) Write an expression for David's age in terms of x.

$$2x$$

(c) Form an equation in x and solve it to work out Sarah's age.

$$x + x + 3 + 2x = 51$$

$$4x + 3 = 51$$

$$-3 \quad -3$$

$$4x = 48$$

$$\div 4 \quad \div 4$$

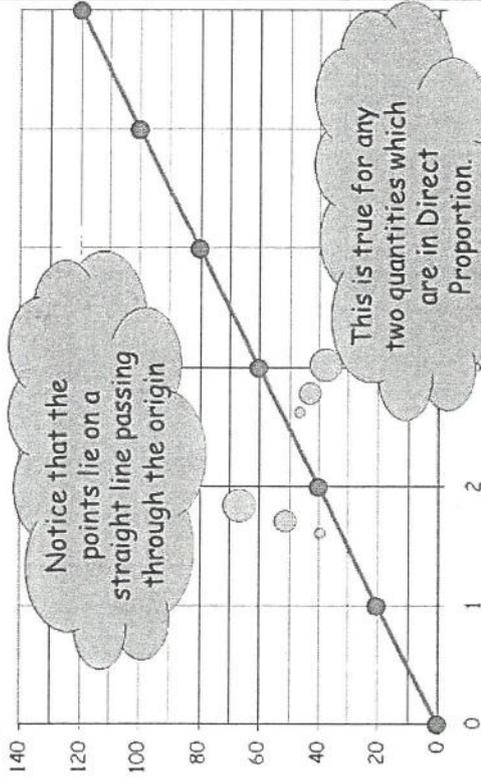
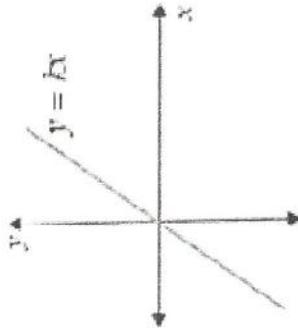
$$x = 12$$

# Maths – Year 8 Delta – Unit 4

## Directly Proportional

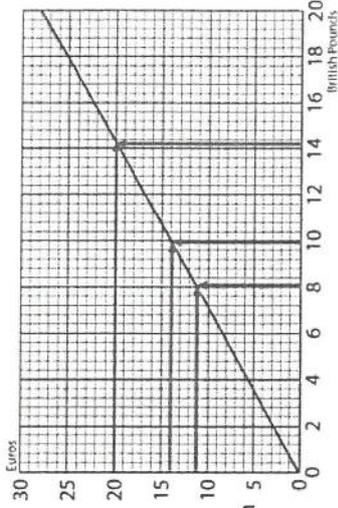
$$y \propto x$$

$$y = kx \text{ for a constant } k$$



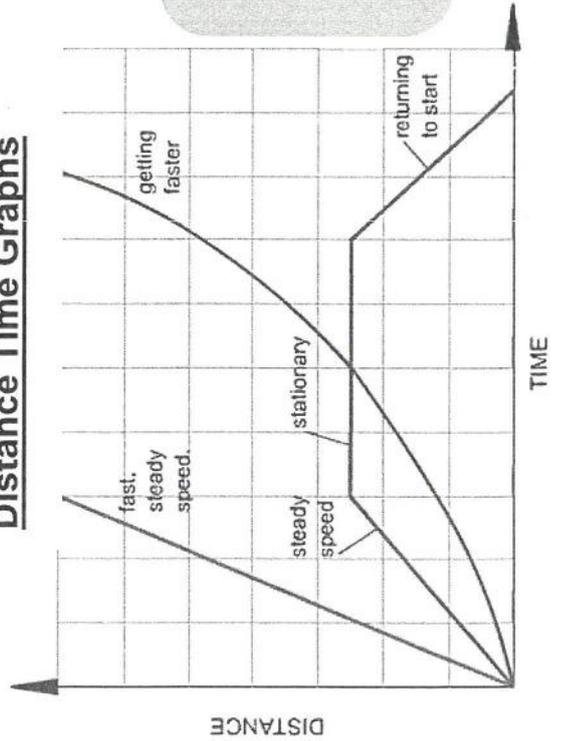
This is true for any two quantities which are in Direct Proportion.

Plot and interpret real life conversion graphs.



- convert £8 to Euros  
11€
- convert 14 Euros to £s  
£10
- find the difference in £s between £12 and 14 Euros.  
£12 - £10 = £2
- calculate the change from £50 when you spend 20€.  
£50 - £14 = £36

## Distance Time Graphs



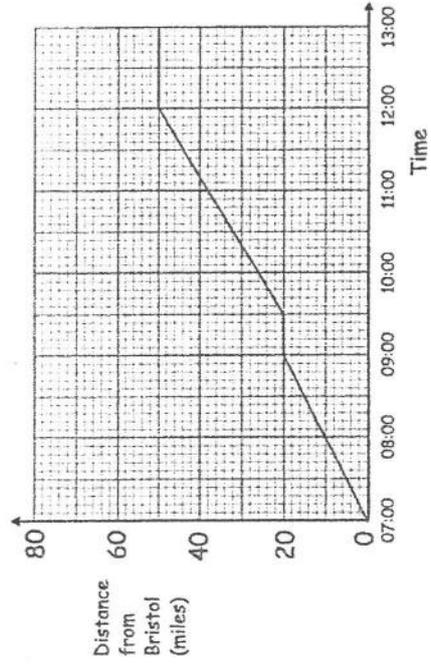
**Speed Distance Time**

$$\text{Speed} = \frac{\text{Distance}}{\text{Time}}$$

$$\text{Distance} = \text{Speed} \times \text{Time}$$

$$\text{Time} = \frac{\text{Distance}}{\text{Speed}}$$

Anne cycles from Bristol to Salisbury.  
The diagram shows the distance-time graph of her journey.



Work out Anne's speed for the first two hours of her journey

$$s = \frac{d}{t} = \frac{20}{2}$$

5 Percentage change

Key point



You can calculate the percentage change using the formula  
percentage change =

$$\frac{\text{actual change}}{\text{original amount}} \times 100$$

Calculate the percentage decrease from £400 to £280

Work out the difference £400 - £280 = £120  
Write the difference over the original as a fraction and change to a percentage

$$\frac{120}{400} = \frac{30}{100} = 30\%$$

÷ 4

6 Repeated percentage change

Repeated Percentage Change

**Formula:**  $\text{Quantity} \times \text{Multiplier}^{\text{Years}}$

Abi deposited £160 in a bank.  
She earned 20% compound interest every year.

How much was in the account after 3 years?

**Multiplier:**  
= 100% + 20%  
= 1.0 + 0.2  
= 1.2

$$160 \times 1.2^3 = \text{£}276.48$$

7 Recurring decimals

Worked example



Write  $0.\dot{7}$  as a fraction.

$$0.\dot{7} = 0.777777... = n$$

Call the recurring decimal  $n$ .

$$10n = 7.777777...$$

Multiply the recurring decimal by 10.

$$10n - n = 7.777777... - 0.777777...$$

$$= 7.000000...$$

Subtract the value of  $n$  from the value of  $10n$  so you get all the decimal places to zero.

$$9n = 7$$

$$n = \frac{7}{9}$$

Solve the equation.

